

## 1 Goal of our Study & Theoretical Background

- This study addresses how the performance in figural matrices tests is influenced by different extents of test preparation, i.e. knowledge concerning the construction rules that are employed in the matrices.
- Matrices tests are one of the best predictors of general intelligence<sup>1</sup> and therefore, often part of high-stakes tests and personnel selection. Hence, test preparation is an important issue.
- Beyond the differences between a full training and no training at all<sup>2</sup>, we provided some testees only with half the rules required to solve the items. Hence, a special focus lies on transfer effects, in particular how test-takers might infer the rules they did not learn from the rules they did learn.

## 2 Our Study in a Matrices Item

### Participants:

- 287 testees (after exclusion of 4%)
- 62.7% women, 35.9% men, 1.4% diverse
- Age:  $M = 26.30$ ,  $SD = 10.20$
- 88% had German Abitur (or higher)
- Testees were randomly assigned to one of four training groups that differed in the number of rules that were learned:
  - no training
  - easy training (Add, Sub)
  - full training (Add, Sub, SEA, IS)
  - difficult training (SEA, IS)

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### Procedure:

- 26 items (90s each) with 2-4 rules per item
- Training phase consisted of a thorough explanation of each rule including an example item where this particular rule was applied
- Due to a computerized matrices test, testees constructed their own answer by themselves<sup>3</sup>
- Hence, we had the possibility to assess each rule by itself instead of being limited to assessing each item as a whole

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### Easy Rules:

Addition	
Subtraction	

### Difficult Rules:

Single Element Addition	
Intersection	

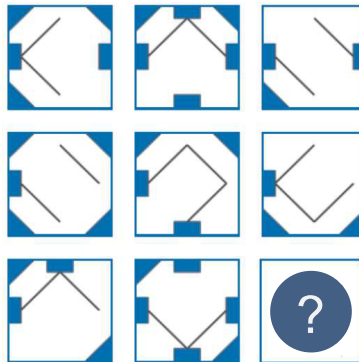
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### Design:

- Since our model assumptions were violated, we used the rank-based 3x2 analysis of variance-type statistic (ATS)
- Relative Treatment Effect (RTE) and 95% CI were used to compare each group and rule
- RTE is the Mean Rank of the particular group divided by the number of observations ( $n_{obs} = 438$ )
- CI overlap of not more than half the length of the average margin of error (MOE) equates to a p-value of 0.05<sup>4</sup>

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### Example Item with three rules:



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### Results:

#### Overall Psychometric Properties:

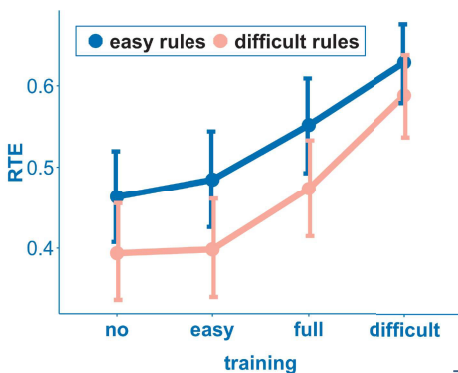
- Item Difficulty:  $M = 0.80$ ,  $SD = 0.07$
- Item total correlation:  $M = 0.65$ ,  $SD = 0.09$
- Cronbach's alpha: 0.98

#### 3x2 ATS:

- Sig. main effect of the between-subject factor training:  $F_{ATS}(3, \infty) = 7.11$ ,  $p < .01$
- Sig. main effect of the within-subject factor rule:  $F_{ATS}(1, \infty) = 38.07$ ,  $p < .01$
- No interaction of training and rule:  $F_{ATS}(3, \infty) = 0.80$ ,  $p = 0.48$

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### Relative Treatment Effect (95% CI):



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### Comparison of 95% CI's of the RTE:

- Overall performance by training group: difficult training > full training > partial training = no training
- Performance on the easy rules: difficult training > full training > easy training = no training
- Performance on the difficult rules: difficult training > full training > easy training = no training

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### Conclusion:

- Short-term training and rule knowledge significantly increases the performance in a matrices test
- No evidence for a transfer effect that testees induce the difficult rules by themselves while knowing about the easy rules
- Instead, testees might not profit from learning the easy rules at all
- First indications were found that a training consisting only of the difficult rules might be sufficient or even better than a full training

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## 3 Further Research

- Since we cannot rule out the possibility that teaching the easy rules is only unnecessary in a high-performance sample (cf. high educational qualifications), this effect should also be examined in a more representative sample.
- Moreover, to rule out a ceiling effect, the study should also be replicated by using a more difficult matrices test, i.e. by using more items consisting of at least three or four rules.